

## Rainfall probability analysis for crop planning in Jagatsingpur district of Odisha, India

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### Abstract

This study was under taken in the U.G. thesis work in the Dept. Of SWCE, CAET, OUAT, Bhubaneswar during the year 2018-19. Jagatsingpur district has latitude of 20.2°N and a longitude of 86.33° E. The average rainfall at Jagatsingpur district is around 1630.5 mm, though it receives high amount rainfall but most of the rainfall occurred during *kharif*. So most of the crops get low yield due to improper crop planning. Thus, this study is proposed to be undertaken with the following objective: Probability analysis of annual, seasonal and monthly rainfall data of Jagatsingpur district. So rainfall data were collected from OUAT, Agril Meteorology Dept. from 2001 to 2017(17 years) monthly, seasonal and annual rainfall were analyzed. Probability analysis have been made and equations were fitted to different distributions and best fitted equations were tested. Monthly, Annual and seasonal probability analysis of rainfall data shows the probability rainfall distribution of Jagatsingpur district in different months, years and seasons. It is observed that rainfall during June to Sep is slightly less than 1000 mm and cropping pattern like paddy(110 days) may be followed by mustard is suitable to this region. Also if the *kharif* rain can be harvested and it can be reused for another *rabi* crop by using sprinkler or drip irrigation, which will give benefit to the farmers. Annual rainfall of Jagatsingpur district is 1630.5 mm at 50% probability level.

**Keywords:** rainfall; probability analysis; crop planning

### Introduction

Jagatsingpur district has latitude of 20.2°N and a longitude of 86.33° E The average rainfall at Jagatsingpur district is 1630.5 mm, most of the rainfall occurred during *kharif*. Thus, this study is proposed to be undertaken with the following objective: Probability analysis of annual, seasonal and monthly rainfall data of Jagatsingpur district.

Thom (1966) employed mixed gamma probability distribution for describing skewed rainfall data and employed approximate solution to non-linear equations obtained by differentiating log likelihood function with respect to the parameters of the distribution. Subsequently, this methodology along with variance ratio test as a goodness- of-fit has been widely employed Kar *et al* (2004), Jat *et al* (2006), Senapati *et al* (2009) and Subudhi *et.al*(2019) applied incomplete gamma probability distribution for rainfall analysis. In addition to gamma probability distribution, other two-parameter probability distributions (normal, log-normal, Weibull, smallest and largest extreme value), and three-parameter probability distributions (log-normal, gamma, log-logistic and Weibull) have been widely used for studying flood frequency, drought analysis and rainfall probability analysis ( Senapati *et al*.2009).

Gumbel (1954) Chow (1964), have applied gamma distribution with two and three parameter, Pearson type-III, extreme value, binomial and Poisson distribution to hydrological data.

Sachan, S. *et al* (2018) attempted probability analysis using the rainfall data of 30 years (1976-2005) in various influencing rain gauge stations viz., Damoh, Hatta, Jabera, and Deori falling in Bearma basin of Bundelkhand region, Madhya pradesh.

Gumbel (1954), Hershfield and Kohlar (1960). Have applied gamma distribution with two and three parameter, Pearson type-III, extreme value, binomial and Poisson distribution to hydrological data.

### Materials and Methods

The data were collected from District Collector's Office, Gajapati district for this study. Rainfall data for 17 years from 2001 to 2017 are collected for the present study to make rainfall forecasting using different methods

### Probability Distribution Functions

For seasonal rainfall analysis of Gajapati district, three seasons- *kharif* (June-September), *Rabi* (October to January) and summer (February to May) are considered.

The data is fed into the Excel spreadsheet, where it is arranged in a chronological order and the Weibull plotting position formula is then applied. The Weibull plotting position formula is given by

$$\text{Where } m = \text{rank number } N = \text{number of years } p = \frac{m}{N+1}$$

$$\text{The recurrence interval is given by } T = \frac{1}{p} = \frac{N+1}{m}$$

The values are then subjected to various probability distribution functions namely- normal, log-normal (2-parameter), log-normal (3-parameter), gamma, generalized extreme value, Weibull, generalized Pareto distribution, Pearson, log-Pearson type-III and

Gumbel distribution. Some of the probability distribution functions are described as follows:

**Normal Distribution**

The probability density is  $p(x) = (1/\sigma\sqrt{2\pi}) e^{-(x-\mu)^2/2\sigma^2}$   
 Where  $x$  is the variate,  $\mu$  is the mean value of variate and  $\sigma$  is the standard deviation. In this distribution, the mean, mode and median are the same. The cumulative probability of a value being equal to or less than  $x$  is  $p(x \leq) = 1/\sigma\sqrt{2\pi} \int_{-\infty}^x e^{-(x-\mu)^2/2\sigma^2} dx$   
 This represents the area under the curve between  $-\infty$  and  $x$ .

**Log-normal (2-parameter) Distribution**

The probability density is  $p(x) = (1/\sigma_y e^y \sqrt{2\pi}) e^{-(y-\mu_y)^2/2\sigma_y^2}$   
 Where  $y = \ln x$ , where  $x$  is the variate,  $\mu_y$  is the mean of  $y$  and  $\sigma_y$  is the standard deviation of  $y$ .

**Log-normal (3-parameter) distribution**

A random variable  $X$  is said to have three-parameter log-normal probability distribution if its probability density function (pdf) is given by:  

$$f(x) = \begin{cases} \frac{1}{(x-\lambda)\sigma\sqrt{2\pi}} \exp\left\{-\frac{1}{2}\left(\frac{\log(x-\lambda)-\mu}{\sigma}\right)^2\right\}, & \lambda < x < \infty, \mu > 0, \sigma > 0 \\ 0, & \text{otherwise} \end{cases}$$

Where  $\mu, \sigma$  and  $\lambda$  are known as location, scale and threshold parameters, respectively.

**Pearson Distribution**

The general and basic equation to define the probability density of a Pearson distribution  $p(x) = e \int_{-\infty}^x \frac{a+x}{b_0+b_1x+b_2x^2} dx$

Where  $a, b_0, b_1$  and  $b_2$  are constants.  
 The criteria for determining types of distribution are  $\beta_1, \beta_2$  and  $k$

Where  $\beta_1 = \frac{\mu_3}{\mu_2^3} \beta_2 = \frac{\mu_4}{\mu_2^4} k = \frac{\beta_1(\beta_2+3)^2}{4(4\beta_2-3\beta_1)(2\beta_2-3\beta_1-6)}$

Where  $\mu_2, \mu_3$  and  $\mu_4$  are second, third and fourth moments about the mean.

**Log-Pearson Type III Distribution**

In this the variate is first transformed into logarithmic form (base 10) and the transformed data is then analyzed. If  $X$  is the variate of a random hydrologic series, then the series of  $Z$  variates where  $z = \log x$   
 Are first obtained. For this  $z$  series, for any recurrence interval  $T$  and the coefficient of skew  $C_s$ ,

$\sigma_z = \text{Standard deviation of the } Z \text{ variate sample}$   
 $= \sqrt{\sum (z - \bar{z})^2 / (N - 1)}$

And  $C_s = \text{coefficient of skew of variate } Z = \frac{N \sum (z - \bar{z})^3}{(N-1)(N-2)\sigma_z^3}$

$\bar{z}$  = mean of  $z$  values  
 $N$  = sample size = number of years of record

**Generalized Pareto Distribution**

The family of generalized Pareto distributions (GPD) has three parameters  $\mu, \sigma$  and  $\xi$ .

The cumulative distribution function is

$$F_{(\epsilon, \mu, \sigma)}(x) = \begin{cases} 1 - \left(1 + \frac{\xi(x-\mu)}{\sigma}\right)^{-\frac{1}{\xi}} & \text{for } \xi \neq 0 \\ 1 - \exp\left(-\frac{x-\mu}{\sigma}\right) & \text{for } \xi = 0 \end{cases}$$

For  $x \geq \mu$  when  $\xi \geq 0$  and  $x \leq \mu - \frac{\sigma}{\xi}$  when  $\xi < 0$ , where  $\mu \in \mathbb{R}$  is the location parameter,  $\sigma > 0$  the scale parameter and  $\xi \in \mathbb{R}$  the shape parameter.

The probability density function is  $f_{(\xi, \mu, \sigma)}(x) = \frac{1}{\sigma} \left(1 + \frac{\xi(x-\mu)}{\sigma}\right)^{-\left(\frac{1}{\xi}+1\right)}$

Or 
$$f_{(\xi, \mu, \sigma)}(x) = \frac{\sigma^{\frac{1}{\xi}}}{(\sigma + \xi(x-\mu))^{\left(\frac{1}{\xi}+1\right)}}$$

Again, for  $x \geq \mu$ , and  $x \leq \mu - \frac{\sigma}{\xi}$  when  $\xi < 0$

**Generalized Extreme Value Distribution**

Generalized extreme value distribution has cumulative distribution function

$$F(x; \mu, \sigma, \xi) = \frac{1}{\sigma} \left[1 + \xi \left(\frac{x-\mu}{\sigma}\right)\right]^{\left(-\frac{1}{\xi}-1\right)} \exp\left\{-\left[1 + \xi \left(\frac{x-\mu}{\sigma}\right)\right]^{\frac{-1}{\xi}}\right\}$$

For  $1 + \xi(x - \mu)/\sigma > 0$ , where  $\mu \in \mathbb{R}$  is the location parameter,  $\sigma > 0$  the scale parameter and  $\xi \in \mathbb{R}$  the shape parameter. The density function is, consequently

$$f(x; \mu, \sigma, \xi) = \frac{1}{\sigma} \left[1 + \xi \left(\frac{x-\mu}{\sigma}\right)\right]^{\left(-\frac{1}{\xi}-1\right)} \exp\left\{-\left[1 + \xi \left(\frac{x-\mu}{\sigma}\right)\right]^{\frac{-1}{\xi}}\right\}$$

Again, for  $1 + \xi(x - \mu)/\sigma > 0$

**2.1.10. Gumbel's Method**

The extreme value distribution was introduced by *Gumbel* (1941) and is commonly known as Gumbel's distribution. It is one of the most widely used probability-distribution functions for extreme values in hydrologic and meteorological studies. According to this theory of extreme events, the probability of occurrence of an event equal to or larger than a value  $x_0$  is  $P(X \geq x_0) = 1 - e^{-e^{-y}}$

In which  $y$  is a dimensionless variable and is given by  $y = \alpha(x - a)$   $a = \bar{x} - 0.45005\sigma_x$

Thus  $y = \frac{1.2825(x-\bar{x})}{\sigma_x} + 0.577\dots\dots (i)$

Where  $\bar{x}$  = mean and  $\sigma_x$  = standard deviation of the variate  $X$ . In practice it is the value of  $X$  for a given  $P$  that is required and such Eq. (i) is transposed as  $y_p = -\ln[-\ln(1 - P)]$

Noting that the return period  $T = 1/P$  and designating  $y_T$  = the value of  $y$ , commonly called the reduced variate, for a given  $T y_T = -\left[\ln. \ln \frac{T}{T-1}\right]$

Or  $y_T = -\left[0.834 + 2.303 \log \log \frac{T}{T-1}\right]$

Now rearranging Eq. (i), the value of the variate  $X$  with a return period  $T$  is

$$x_T = \bar{x} + K\sigma_x \text{ Where } K = \frac{(\nu_T - 0.577)}{1.2825}$$

The above equations constitute the basic Gumbel's equations and are applicable to an infinite sample size (i.e.  $N \rightarrow \infty$ ).

**Result and discussion**

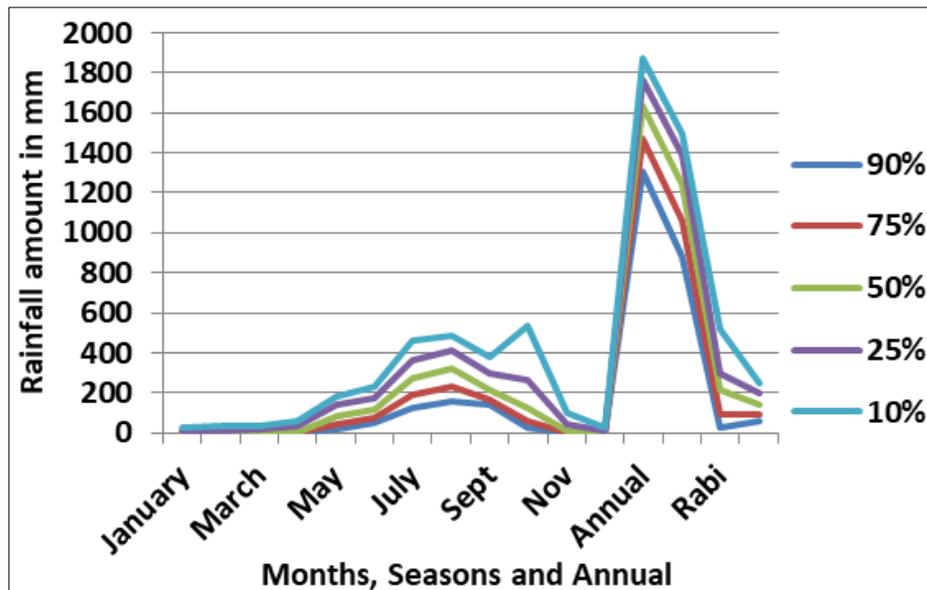
The various parameters like mean, standard deviation, RMSE value were obtained and noted for different distributions. The rainfall at 90%, 75%, 50%, 25% and 10% probability levels are determined. The distribution "best" fitted to the data is noted down in a tabulated form in Table 1.

**Table 1:** Rainfall analysis of Jagatsingpur Block at different probability levels for different months and seasons.

Months	Best-fit Distribution	RMSE Value	Rainfall at probability levels				
			90%	75%	50%	25%	10%
January	Log-Pearson	0.0498	-	-	-	8.46	22.17
February	Log-Pearson	0.09086	-	-	-	8.2	29.97
March	EV type-III	0.0613	-	-	-	21.41	35.23
April	Weibull	0.05244	-	-	4.23	32.17	60.32
May	Pareto	0.07378	18.28	40.95	83.86	138.21	184.44
June	Gumbel-max	0.0547	48.10	77.79	118.35	169.8	228.59
July	GEV	0.04753	126.44	190.26	271.37	364.97	460.43
August	GEV	0.02361	157.06	231.29	318.09	407.92	488.29
September	Pareto	0.0508	137.14	163.91	218.48	297.78	380.40
October	Log-normal	0.0416	29.49	58.3	124.9	267.3	530.5
November	Log-normal	0.08062	-	-	10.20	38.73	98.95
December	Pareto	0.09445	-	-	-	6.9	26.63
Annual	EV type- III	0.06332	1307.91	1471.21	1630.5	1767.94	1875.71
<i>Kharif</i> (Jun- Sept)	GEV	0.04899	883.3	1060.91	1239.2	1390.2	1496.61
<i>Rabi</i> (Oct-Jan)	Paret	0.03531	25.28	91.49	217.9	300	521.63
<i>Summer</i> (Feb- May)	Weibull	0.039	58.95	94.53	142.9	198	251.34

In the present study, the parameters of distribution for the different distributions have been estimated by FLOOD frequency analysis software. The rainfall data is the input to the software programme. The best fitted distribution of different month and seasons and annual were presented in Table 1.

The annual rainfall in 50% probability was found to be 1630.5 mm for Jagatsingpur block of Odisha. During *Kharif* at 50% probability level, the rainfall is 1239.2 mm whereas only 217.9 mm and 142.9mm was received during *rabi* and *summer* respectively.



**Fig 1:** Rainfall at different probabilities of monthly, seasonal and annual at Jagatsingpur block

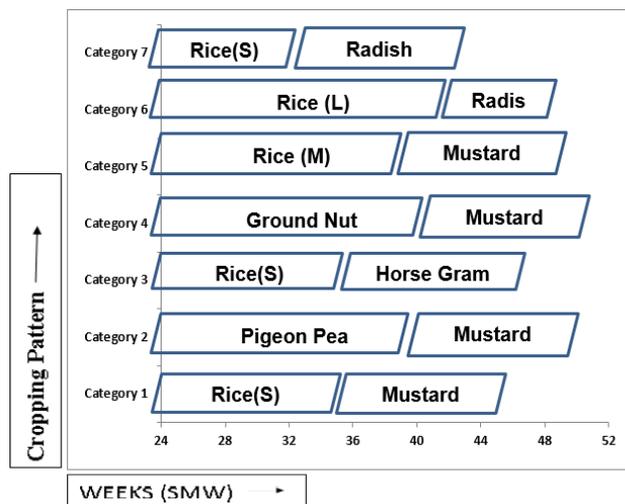


Fig 2: Different cropping patterns for Jagatsingpur district

In the present study, the parameters of distribution for the different distributions have been estimated by FLOOD-flood frequency analysis software. The rainfall data is the input to the software programme. The best fitted distribution of different month and season and annual were presented in Table 6. The annual rainfall in 50% probability was found to be 1630.5 mm for Jagatsingpur district of Odisha. During *Kharif* at 50% probability level, the rainfall is 1239.2 mm whereas only 217.9 mm and 142.9mm was received during *rabi* and *summer* respectively.

In the present study, the parameters of distribution for the different distributions have been estimated by FLOOD-flood frequency analysis software. The rainfall data is the input to the software programme. The best fitted distribution of different month and season and annual were presented in Table 1. The annual rainfall in 50% probability was found to be 1630.5 mm for Jagatsingpur district of Odisha. During *Kharif* at 50% probability level, the rainfall is 1239.2 mm whereas only 217.9 mm and 142.9 mm was received during *rabi* and *summer* respectively, so water harvesting structures may be made to grow crops during *rabi* and *summer* to utilize the water from the water harvesting structures to increase the cropping intensity of the area. It is also observed that at 75% probability level the July, Aug and Sept received more than 100 mm, so farmers of these area can grow crops in upland areas suitably paddy can be grown followed by any *rabi* crop in *rabi* season like mustard or kulthi in upland areas. In Fig 1 the plot between different months and amount of rainfall in different probabilities were shown, It is observed that September month gets highest amount of rainfall compared to other months. Fig 2 shows the different cropping pattern in Jagatsingpur district as per the rainfall available in different weeks.

### Conclusion

Forecasting of rainfall is essential for proper planning of crop production. About 70% of cultivable land of Odisha depends on rainfall for crop production. Prediction of rainfall in advance helps to accomplish the agricultural operations in time. It can be concluded that, excess runoff should be harvested for irrigating post-monsoon crops. It becomes highly necessary to provide the farmers with high-yielding variety of crops and such varieties which require less water and are early-maturing in Jagatsingpur district of Mahanadi command area of Odisha. It is also observed

that at 75% probability level the July, Aug and Sept received more than 100 mm, so farmers of these area can grow crops in upland areas suitably paddy of short duration can be grown followed by any *rabi* crop in *rabi* season like mustard or kulthi in upland areas. Annual rainfall of Jagatsingpur district is 1630.5 mm at 50% probability level. It is observed that September month gets highest amount of rainfall compared to other months. Different cropping pattern selected may be may be practiced in this district.

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